

# Exploitative Priority Services

Eyal Winter, Lancaster U. and Hebrew U.  
co-authored with Alex Gerskov

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# Priority Services Have Innate Structural Barriers to Competition

- Priority Customers vs. Premium Customers
- Priority – lines/queues
- Medical Treatments
- Ads market (Google and Facebook sponsored ads)
- Extortionate Priority Visa Fees (The Guardian)

## Extortionate £800 'priority' visa fee fails to deliver

With the Super Priority Service the implication is you'd receive a visa straight away - it took 38 days



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- Shipping (Amazon)
- Toll Roads
- Heathrow 12 pound priority security screening.
- Corona tests

# Willingness to pay for priority

- n customers
- If k are ahead of you in line your waiting cost is kc.
- Every priority agent is served before any regular.
- Within each group - a random order.
- equ.  $kc + (1/2)(n-k)c = p + kc/2$
- $cn/2 + kc/2 = p + kc/2$
- $p = cn/2$  (is independent of k!)

# Model 1 single service provider

- Measure  $\lambda$  of consumers seek to get service from a server. Service time is 1.
- Server can serve only single consumer at a time. The disutility of a consumer if he pays the price  $p$  for priority and a measure of  $q$  consumers are ahead of him in the line is  $q + p$ .
- The firm decides on the price of priority and then customers form an equ. by choosing simultaneously  $P$  or  $R$  (priority, regular). Priority customers are served before non-priority customers and within each group the service order is random.
- We assume that indifferent customers choose  $P$ .

# Proposition 1:

- In the unique subgame-perfect equilibrium the firm charges the price  $p = \frac{1}{2}$  and all customers buy priority.
- The firm provides no surplus with the priority service, yet extracts a revenue of  $\frac{1}{2}$ . Customers are worse off with priority service than without it.
- $(\frac{1}{2})Pr + p = Pr + (\frac{1}{2})(1-Pr) \rightarrow p = \frac{1}{2}$

# Model 2: two service providers.

- Stage 1: two providers simultaneously choose prices for their priority services:  $p_1$  and  $p_2$ .
- Stage 2: customers decide whether they go to firm 1 or firm 2 and whether they buy priority service or go for the regular one.
- $n_i^p(p_1, p_2)$  customers getting priority in firm  $i$ .
- $n_i^r(p_1, p_2)$  customers getting regular service in firm  $i$ .
- $n_i(p_1, p_2) = n_i^p(p_1, p_2) + n_i^r(p_1, p_2)$   
total measure of customers in firm  $i$
- $n_1(p_1, p_2) + n_2(p_1, p_2) = 1$

## Proposition 2:

- In a unique pure strategy subgame perfect equilibrium prices are  $(1/4, 1/4)$  and
- $n \downarrow 1 \uparrow p(p \downarrow 1, p \downarrow 2) = n \downarrow 2 \uparrow p(p \downarrow 1, p \downarrow 2) = 1/2$
- The two firms provide no surplus with the priority service but extract the monopoly price from their customers!
- Customers' joint welfare gain can be negative also under competition

# Model 3: Single Service Provider and Heterogeneous Customers

- the distribution of waiting costs is given by cdf  $F$  on support  $[c_{\downarrow}^*, c_{\uparrow}^*]$  with  $c_{\downarrow}^* \geq 0$  and density  $f$ .
- The firm names a price  $p$  for the priority and customers choose priority service iff their willingness to pay for the service is at least  $p$ .
- Let  $c(p)$  the type who's indifferent at price  $p$ .
- $-p - c(p) \frac{1 - F(c(p))}{2} = -c(p) \left[ \frac{(1 - F(c(p)) + F(c(p)))}{2} \right]$
- $c(p) = 2p$ .

# Comparing Consumers' Welfare

- Without priority
- $\int_0^{\bar{c}} -c/2 f(c)dc = -E(c)/2$
- With priority

$$-\int_0^{c^*} c \left( 1 - F(c^*) + \frac{F(c^*)}{2} \right) f(c) dc + \int_{c^*}^{\bar{c}} \left( -p(c^*) - c \frac{1 - F(c^*)}{2} \right) f(c) dc$$

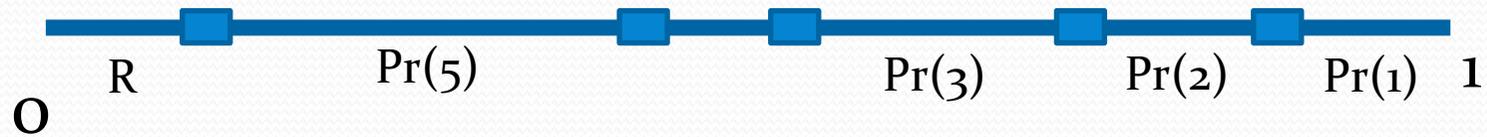
## Proposition 3:

- If  $F$  satisfies *Increasing Failure Rate*, i.e.
- $1 - F(c)/f(c)$  *is decreasing*,
- then the total welfare of all customers declines due to the option of priority service.
- For the uniform  $[0,1]$  case half of the consumers buy priority and their total disutility is  $5/16$ . Instead without priority service its  $E(c)/2 = 1/4$

# Racketeering

- Causing a problem for the purpose of then benefiting from solving it.

# Model 4: Multiple Priorities



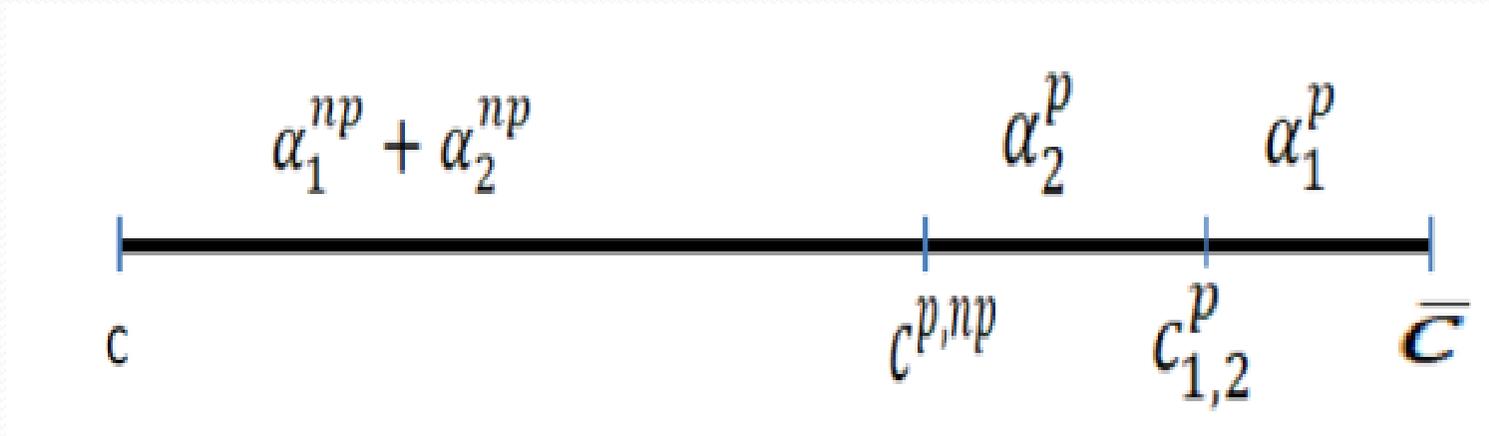
## Proposition 4:

- Assume that the distribution  $F$  satisfies the IFR assumption. Then the customers' welfare if the provider sets the optimal prices for  $k$  priority classes is lower than the case of  $n$  priority service as  $k \rightarrow \infty$

# Not Price Discrimination (PD)

- Unlike PD the monopoly excessive revenue builds on the negative externalities among customers, and the fact that the “good” called priority is less valuable the more people purchase it.
- The degree of surplus extraction is typically greater than the customers’ total surplus itself. This can never happen in a standard monopoly framework with or without price discrimination.
- Excessive power of service providers remains also when we depart from the monopolistic market structure, and introduce competition. This again won’t be the case with price discrimination of any degree.

# Model 5: two service providers and heterogeneous customers.



# Equilibrium Conditions:

- (1) Type with waiting costs  $c \downarrow 1,2 \uparrow p$  must be indifferent between getting priority service from firm 1 and firm 2.
- (2) Both firms' non-priority service has the same waiting time.
- (3) Type with waiting costs  $c \uparrow p, np$  is indifferent between getting priority service from firm 2 and (any) non-priority service.
- (4) (consistency) there is a mass of  $\alpha \downarrow 1 \uparrow p$  with costs equal or higher than  $c \downarrow 1,2 \uparrow p$ .

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- (5) (Consistency): there is a mass of  $\alpha \downarrow 2 \uparrow p$  of consumers with waiting costs between  $c \uparrow p, np$  and  $c \downarrow 1, 2 \uparrow p$
  - (5)  $\alpha \downarrow 1 \uparrow p + \alpha \downarrow 2 \uparrow p + \alpha \downarrow 1 \uparrow np + \alpha \downarrow 2 \uparrow np = 1$

# Proposition 5:

- In a Bertrand competition over prices for priority service the firms always extract positive profits.

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- Proposition 5: If  $F(x) = x^{\theta}$  for  $\theta \geq 1$ , then customers are better off without priority service.
  - In particular this is the case under uniform distribution of the cost.
  - Conjecture (verified by examples) this is also the case for  $\theta \leq 1$

# Market Power

- “Market power arises where an undertaking does not face sufficiently strong **competitive pressure.**” (EC Competition Act 1998)
- Who are the typical victims of priority service?
- The remedy



# Extensions

- Non-linear cost function
- Endogenous pricing of the basic service